Papers in Computational Methods for D-modules

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This is a collection of papers in computational D-module theory. The scope is limited to computation of invariants of D-modules including functors of homology algebra in D-modules. If there are papers which are not cited, please let me know them.

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